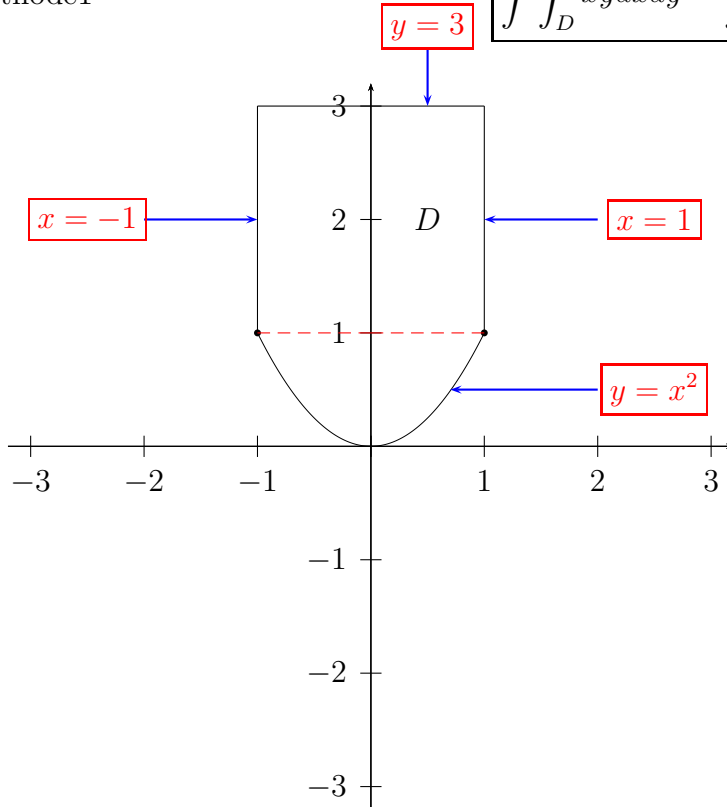


Méthode1

$$\int \int_D xy dx dy = \int_{-1}^1 \left[\int_{x^2}^3 xy dy \right] dx$$



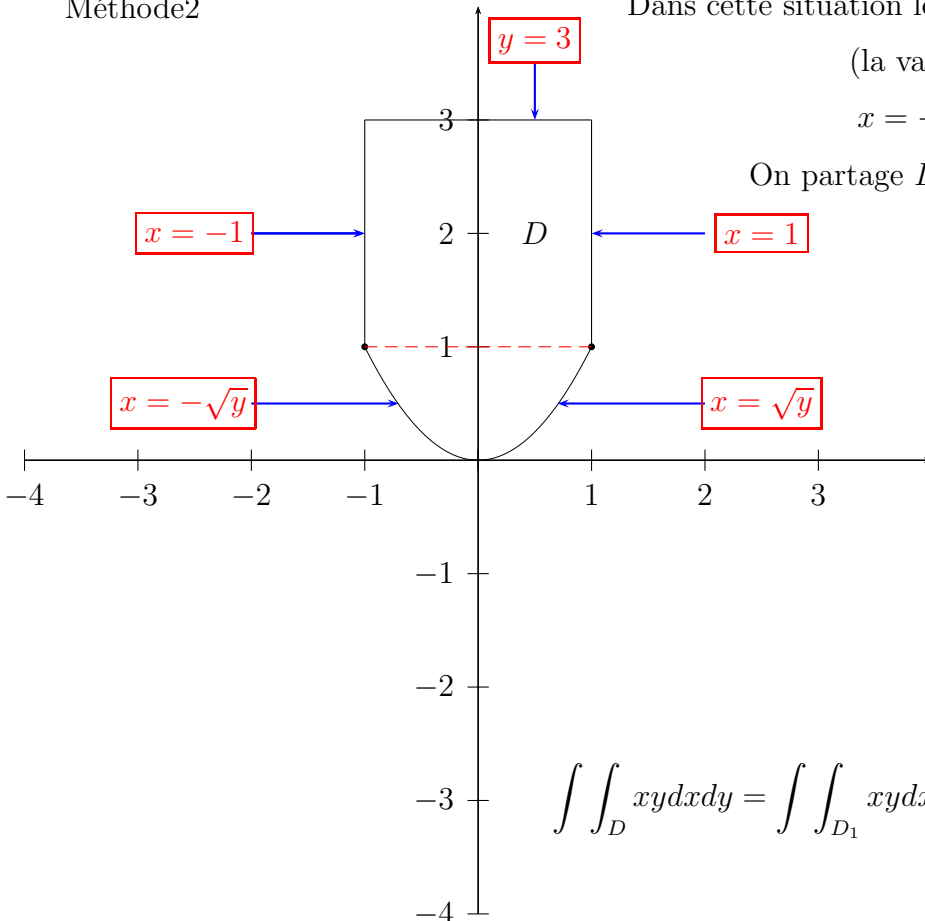
Méthode2

Dans cette situation le domaine D n'est pas régulier.

(la variable x possède 4 bornes à savoir :

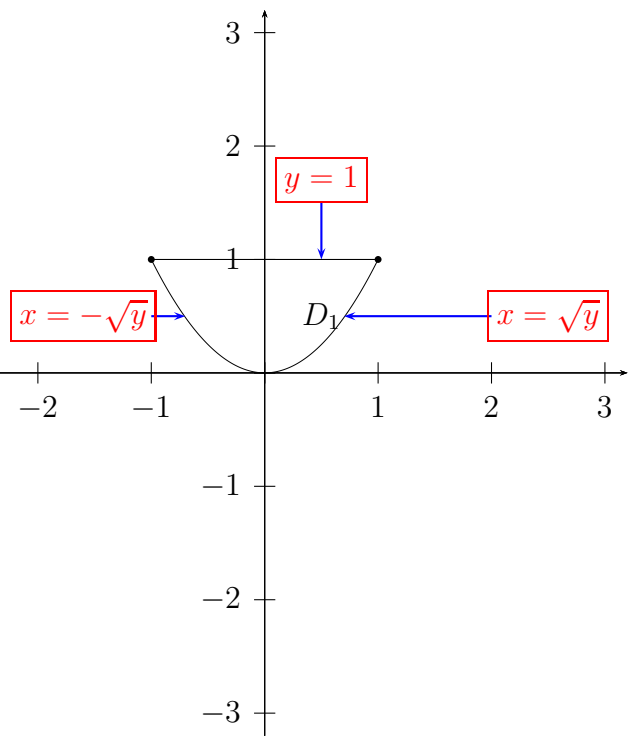
$$x = -1, x = 1, x = \sqrt{y} \text{ et } x = -\sqrt{y})$$

On partage D en deux domaines réguliers D_1 et D_2

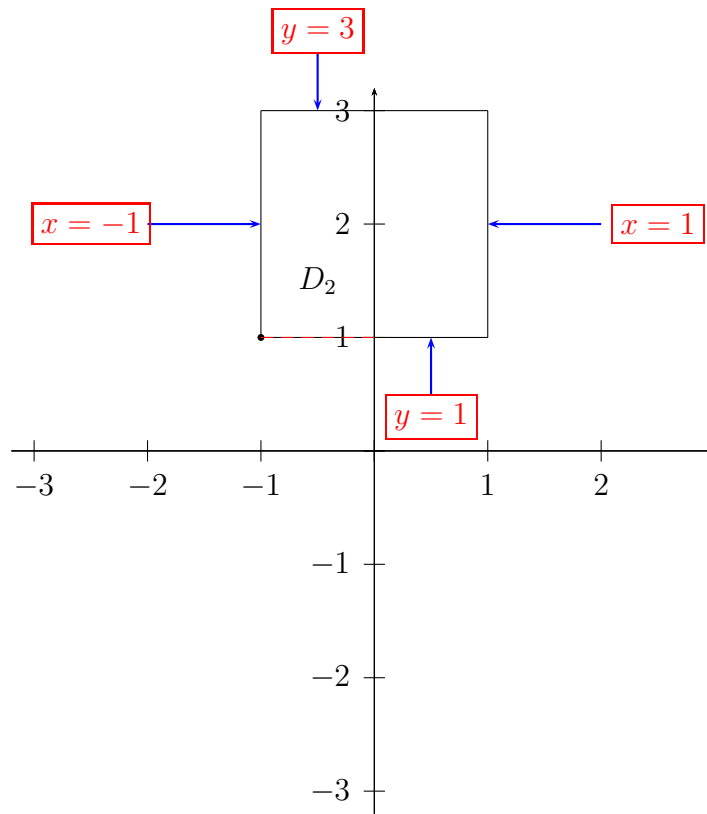


$$\int \int_D xy dx dy = \int \int_{D_1} xy dx dy + \int \int_{D_2} xy dx dy$$

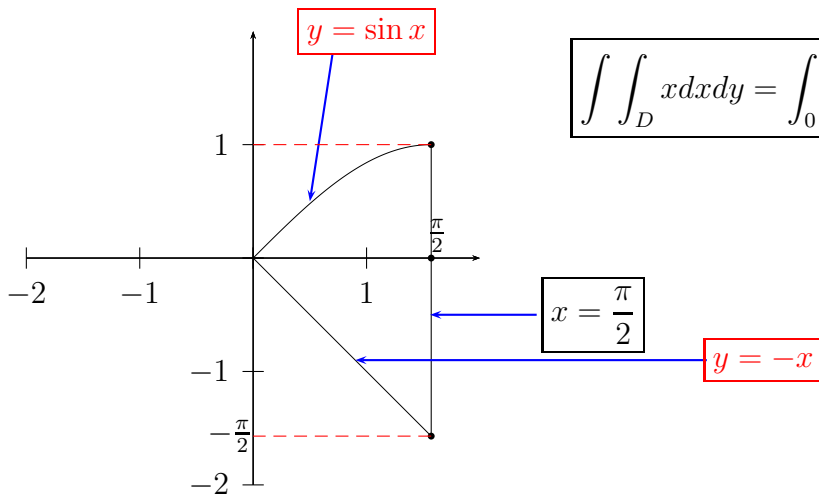
$$\int \int_{D_1} xy dx dy = \int_0^1 \left[\int_{-\sqrt{y}}^{\sqrt{y}} xy dx \right] dy$$



$$\int \int_{D_2} xy dx dy = \int_1^3 \left[\int_{-1}^1 xy dx \right] dy$$



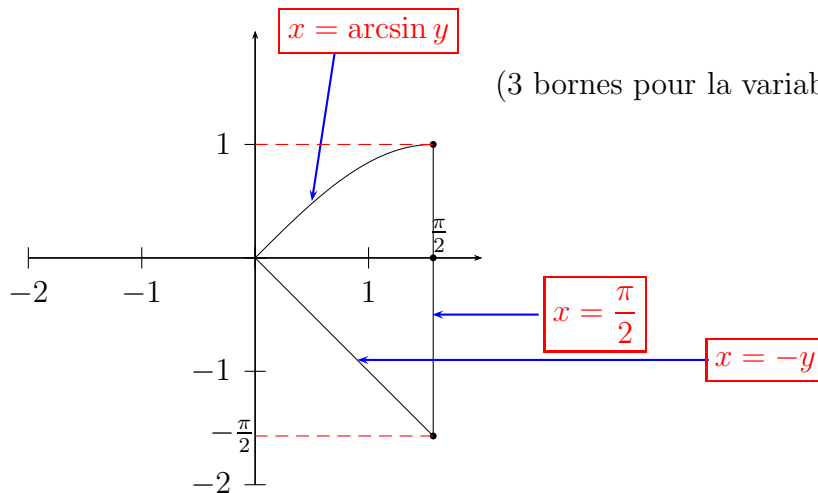
Méthode1



$$\int \int_D x dx dy = \int_0^{\frac{\pi}{2}} \left[\int_{-x}^{\sin x} x dy \right] dx$$

Méthode 2

Concernant la méthode 2, le domaine D n'est pas régulier.



Par conséquent, on partage le domaine D en deux domaines réguliers D_1 et D_2 .

$$\iint_D x dx dy = \iint_{D_1} x dx dy + \iint_{D_2} x dx dy$$

